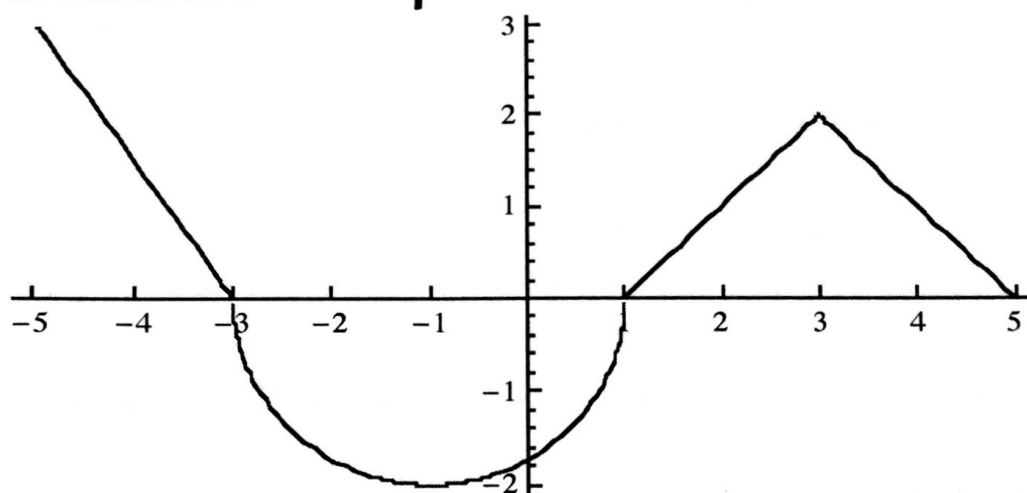


Accumulators – Graphical



- (2) Let $G(x) = \int_{-3}^x f(t) dt$ and $H(x) = \int_2^x f(t) dt$ where f is the function shown with straight line segments and a semicircle.
- (a) How are the values of $G(x)$ and $H(x)$ related?
differ by a constant $\int_{-3}^2 f(t) dt$
- (b) On which subintervals of $[-5, 5]$, if any, is H increasing?
 $H' = f > 0$ $(-3, -1)$, $(1, 5)$
- (c) Explain why G has a local minimum at $x = 1$.
 $G' = f$ changes from neg to pos at $x = 1$
- (d) Where in the interval $[-5, -2]$ does G achieve its minimum value? Its maximum value? What are these values?
 *$G(-5) = -3$ $G(-1) = -2\pi$ $\min = -3$
 $G(-3) = 0$ $G(-2) = -2\pi < 0$ $\max = 0$ at $x = -3$*
- (e) Where in the interval $[-5, 5]$ does H achieve its minimum value? Its maximum value? What are these values?
 *$H(-5) = -\frac{1}{2} + 2\pi - 3$ $H(1) = -\frac{1}{2} = \min$
 $H(-3) = -\frac{1}{2} + 2\pi = \max$ $H(2) = 0$ $H(5) = \frac{3}{2} + 2 = \frac{7}{2}$*
- (f) On which subintervals of $[-5, 5]$, if any, is G concave down?
 $\Rightarrow G' = f$ dec $\Rightarrow (-5, -1)$, $(3, 5)$
- (g) Where does H have points of inflection?
max/min of $H' = f \Rightarrow x = -1, 3$